

Eric Bauer Trajectory Planning



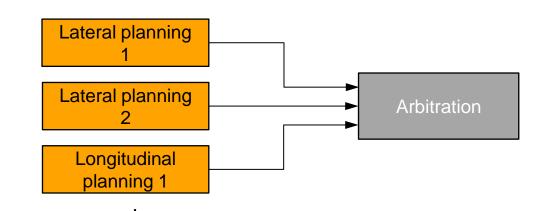
PRORETA 3 | Dipl.-Ing. Eric Bauer | 11.09.2014 | 1

Integrated Trajectory Planning Approach



So far:

Distributive approach



Goal:

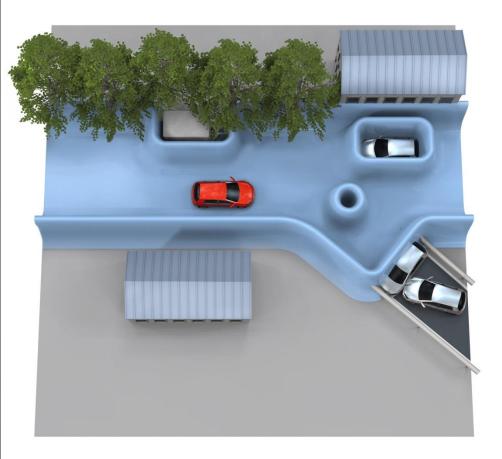
Integrated approach

Lateral and longitudinal planning

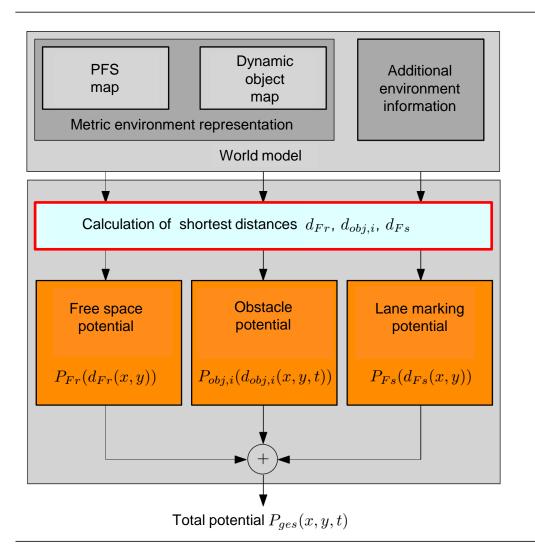




- Mapping the world model to a hazard map (potential field)
 - → Function of the relative distance to lane markers, freespace border and obstacles
- No limitation of number of obstacles in general
- Intuitive and describtive
- Many degrees of freedom for problem-orientated modeling of the potential field

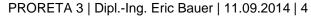




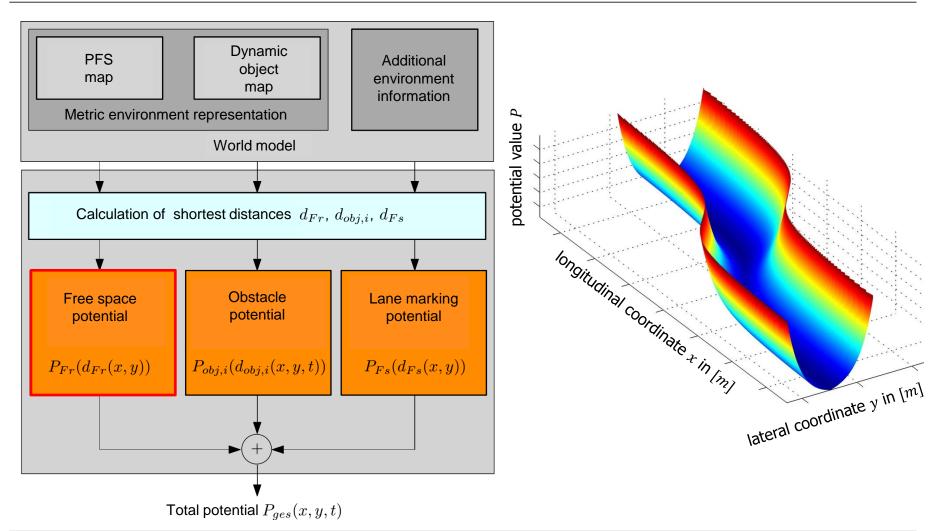




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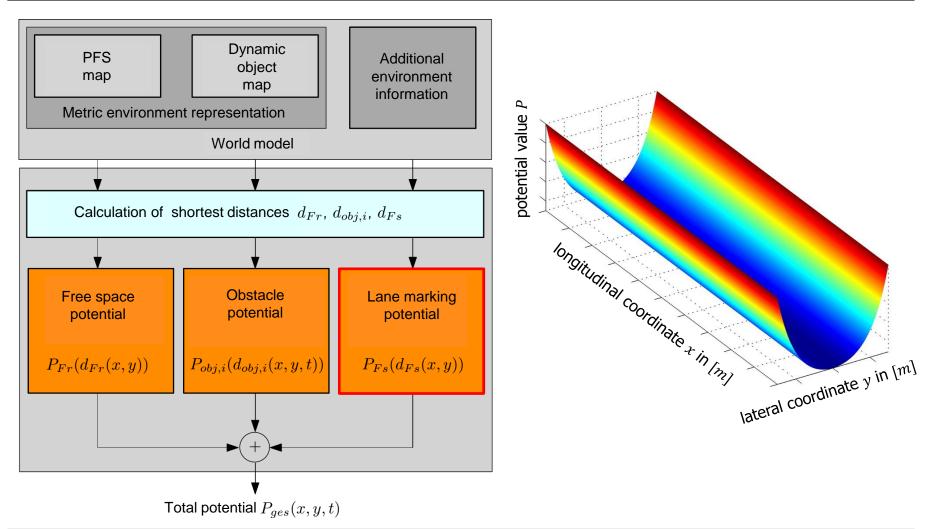






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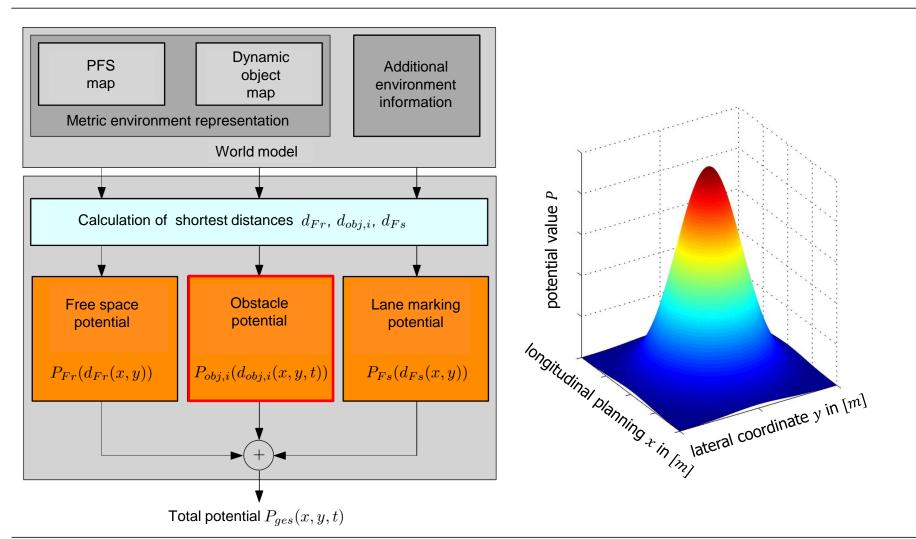




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Looking for the safest trajectory through the potential field for a finite, future horizon

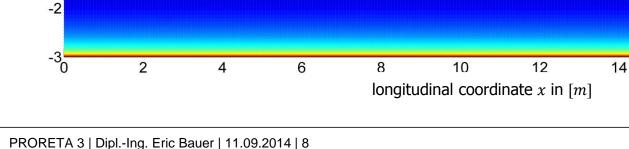
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lateral coordinate y in [m]

- Looking for:
- \rightarrow Valley (minimum) of the potential field

16

18







20

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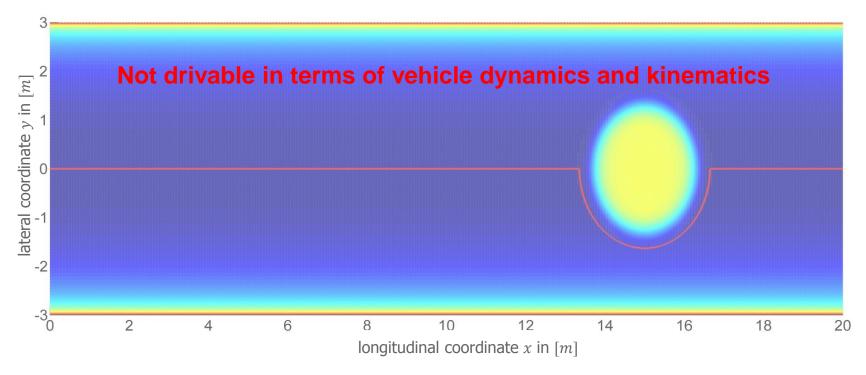
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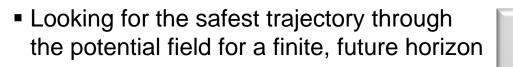


 Looking for the safest trajectory through the potential field for a finite, future horizon

Looking for:

→ Valley (minimum) of the potential field





subject to:

- kinematics and dynamics of the vehicle
- constraints of steering wheel angle and steering wheel angle rate

→ Valley (minimum) of the potential field → subject to: → dynamic vehicle model → input and state constraints Semantic description of an

optimal control problem

Looking for:



10





$$\min J = \int_{t_0}^{t_0+T} \left(P_{\text{ges}}(\boldsymbol{x}_{\mathbf{F}},\zeta) + \frac{1}{2}r \cdot u(\zeta)^2 \right) d\zeta$$

subject to: $\dot{x}_F = f(x_F, u)$

$$\boldsymbol{g}(\boldsymbol{x}_{\mathbf{F}}, \boldsymbol{u}) = \begin{pmatrix} |\boldsymbol{u}(t)| \\ |\dot{\boldsymbol{\delta}}_{\mathrm{L}}(t)| \end{pmatrix} \leq \begin{pmatrix} \delta_{\mathrm{L,max}} \\ \dot{\boldsymbol{\delta}}_{\mathrm{L,max}} \end{pmatrix}$$

$$\downarrow u_{opt}(\tau; t_0, \boldsymbol{x}_{\mathbf{F}}(t_0)); \\
\boldsymbol{x}_{\mathbf{F}, opt}(\tau; t_0, \boldsymbol{x}_{\mathbf{F}}(t_0))$$

 τ : time variable within time horizon $[t_0 \ ... \ t_0 + T]$

Looking for:

→ Valley (minimum) of the potential field

subject to:

- \rightarrow dynamic vehicle model
- \rightarrow input and state constraints

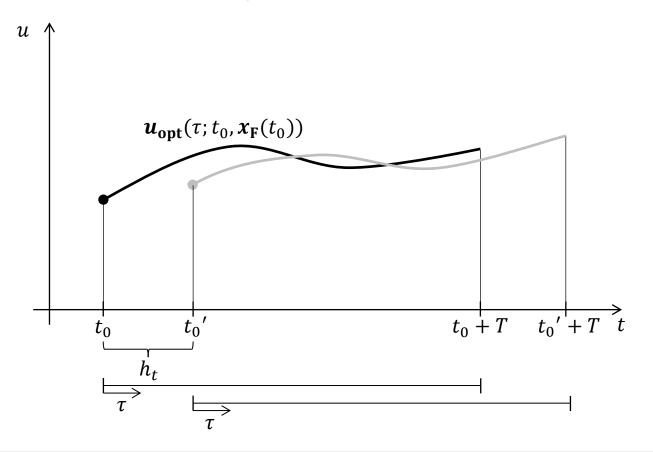
Semantic description of an optimal control problem



Trajectory Planning PRORETA 3 – Formulation as a NMPC Problem



The optimal control problem is <u>circularly</u> solved with a variable $t_0 = t$, for example to regard prediction errors of dynamic obstacles

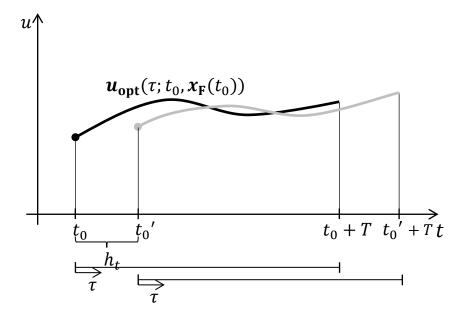




Trajectory Planning PRORETA 3 – Formulation as a NMPC Problem



The optimal control problem is <u>circularly</u> solved with a variable $t_0 = t$, for example to regard prediction errors of dynamic obstacles



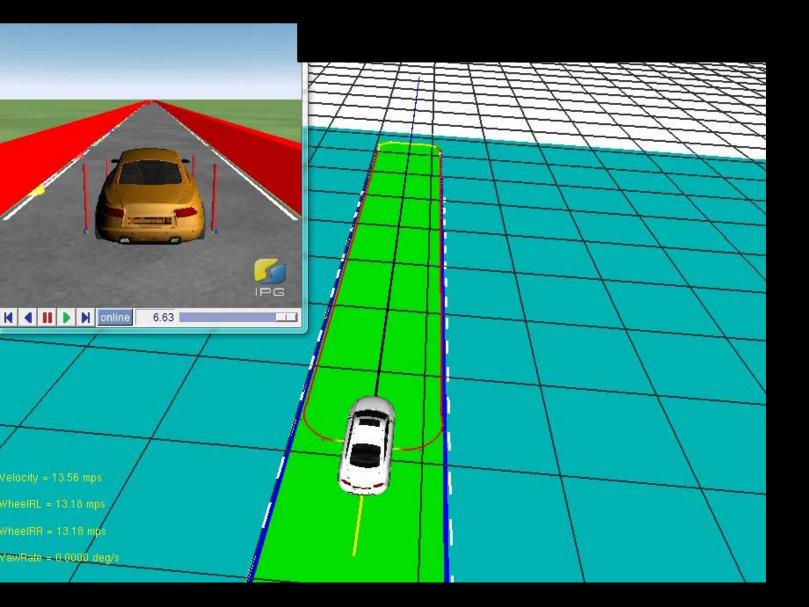
Nonlinear model predictive control problem:

- Nonlinear cost functional
- Nonlinear dynamic model
- Linear constraints
- No terminal state constraints and no terminal costs

Used solver:

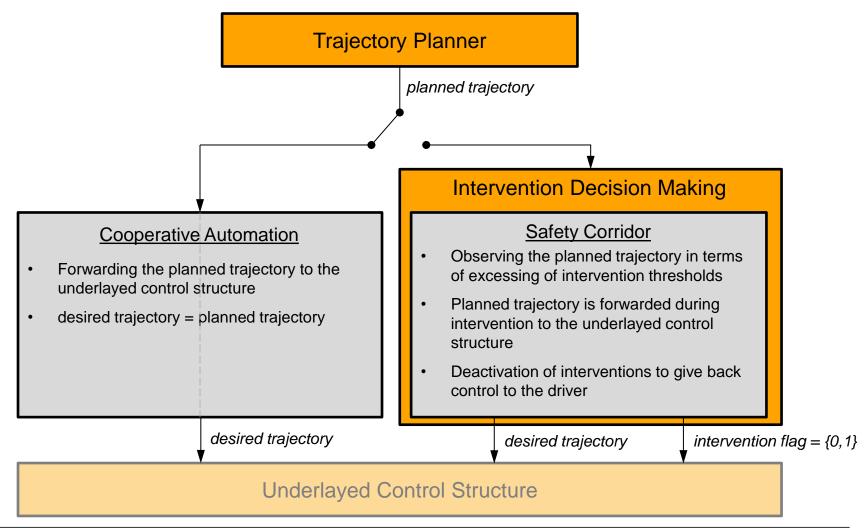
C/GMRES method [Ohtsuka04]





Trajectory Planning PRORETA 3 – Decision Making for Interventions







Trajectory Planning PRORETA 3 – Conclusion



- Modular generation of potential fields based on the proposed world model
- Presentation of a real-time capable, model predictive trajectory planning approach by using potential fields
- Planned trajectory can be used for Cooperative Automation and Safety Corridor
- Cooperative Automation: Regarding driver-selected desired maneuvers, e.g. a lane change maneuver
- Safety Corridor: Presentation of an intervention decision making by using the planned trajectory

